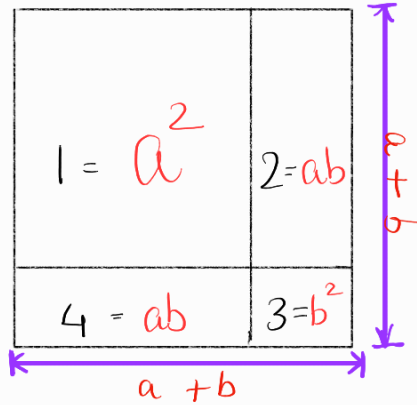


Explanation for an algebraic expression

$$(a + b)^2 = a^2 + b^2 + 2ab$$

Lets express this formula as a geometrical expression.



You can see the above square which is divided into 2 squares and 2 rectangles.

Side of square 1 = a

Area of square 1 = a^2

Length of rectangle 2 = a

Breadth of rectangle 2 = b

Area of rectangle 2 = ab

Side of square 3 = b

Area of square 3 = b^2

Length of rectangle 4 = a

Breadth of rectangle 4 = b

Area of rectangle 4 = ab

Side of square 5 = a + b

Area of square 5 = $(a + b)^2$

Area of square 5 can also be written as :-

$$\begin{aligned} (a + b)^2 &= a^2 + \underbrace{ab}_{b^2} + b^2 + \underbrace{ab} \\ \therefore (a + b)^2 &= a^2 + b^2 + 2ab \text{ (ie. } ab + ab) \end{aligned}$$

Hence, we have proved the expression -

$$(a + b)^2 = a^2 + b^2 + 2ab$$